## Steps Reasons and Rules for Algebraic Problems

All algebraic problems must be done in a vertical format (all the equal signs line up in one column.) Each line must have only one step EXCEPT that the arithmetic step and some notation steps can be combined with any other step. The reason must be given for each step and must be one from the following list.

| Step | Abbreviation | Explanation and comments |
| :--- | :--- | :--- |
| Arithmetic | Arith. | Doing any arithmetic that is possible, this <br> includes taking powers or roots. |
| Change of Notation | Not. | This step is shifting from one notation to another <br> way of writing the same thing. In this class we <br> will use this step in changing back and forth <br> between: <br> 1) Subtracting and 'adding the opposite.' <br> 2) Dividing and 'multiplying by the reciprocal.' |
| Distributive Property | Dist. | A special kind of simplification that needs its <br> own step. a(b + c) becomes ab + ac. |
| Multiplying by one | Mult. by 1 | Used when getting common denominators. This <br> step is usually NOT used on equations. |
| Exponent Property | Prop | This reason is used with one of the many <br> exponent properties. |
| FOIL | FOIL | A more general use of the distributive property. <br> Used when multiplying binomials together. |
| Substitution (evaluation) | Sub. | Exchanging a 'letter' for an expression that it <br> equals. Primarily used in evaluating expressions <br> and in solving systems of equations. Also used <br> when applying formulas. |
| Factoring | Fact. | Breaking an expression up into its factors. This <br> is usually done in preparation for using the Zero <br> Factor Property or the Fundamental Property of <br> Rational Numbers. |
| Rational Numbers |  |  |


| The following steps can ONLY be used on Equations. |  |  |
| :--- | :--- | :--- |
| Golden Rule | GRule | Add/Subtract/Multiply/Divide the same <br> expression to both sides of an equation. |
| Zero Factor Property | 0 -Fact. | This is a logic step. If ab $=0$ then $(\Rightarrow) \mathrm{a}=0$ or b <br> $=0$. This is used when solving nonlinear <br> equations. |

A sample problem using the required form:

$$
\begin{aligned}
\frac{1}{2} & =x-3(x+2) & & \\
\frac{1}{2} & =x-3 x-6 & & \text { Dist. } \\
\frac{1}{2}+6 & =-2 x-6+6 & & \text { G Rule } \\
\frac{1}{2}+6\left(\frac{2}{2}\right) & =-2 x & & \text { Mult by } 1 \text { and Arith. } \\
\frac{13}{2} & =-2 x & & \text { Arith. } \\
\frac{13}{2} \frac{1}{-2} & =-2 x \frac{1}{-2} & & \text { G Rule } \\
-\frac{13}{4} & =x & & \text { Arith. }
\end{aligned}
$$

